## Sketching Polynomials When drawing y = P(x)

- *y* intercept is the constant
- x intercepts are the roots, solve P(x)=0
- as  $x \to \pm \infty$ , P(x) acts like the leading term
- even powered roots look like  $\bigvee$  or  $\bigwedge$
- odd powered roots look like \, or \,
- if the curve can be written as  $(x-a)^n$ , then it is a basic curve.

e.g. 
$$y = (x+1)(x-1)^3(x+2)^2$$





