## Change of Sign

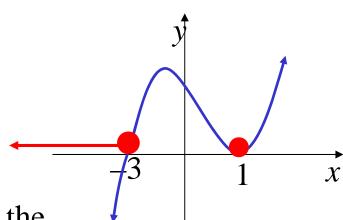
Functions will only change sign;

- at *x*-intercepts (zeroes)
- at discontinuities

Critical points of an inequation can be found by moving all terms to one side of the inequation and finding when the function created changes sign.

e.g. (i) 
$$(x-1)^2(x+3) \le 0$$
  
 $x \le -3$  or  $x = 1$ 

Q: for what values of x is the curve below the x axis?



$$(ii)\frac{2}{x+3} < 5$$

$$\frac{13-5x}{x+3} < 0$$

$$\therefore x < -3 \text{ or } x > -\frac{13}{5}$$

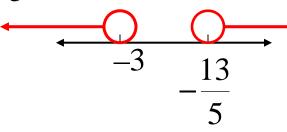
critical points are;

zeroes: 13 - 5x = 0

discontinuities: x + 3 = 0

$$x = \frac{13}{5}$$

$$x = -3$$



Exercise 5B; 1, 3bcf, 4ac, 5ac, 6, 7bdfh, 10ac, 11ac, 12