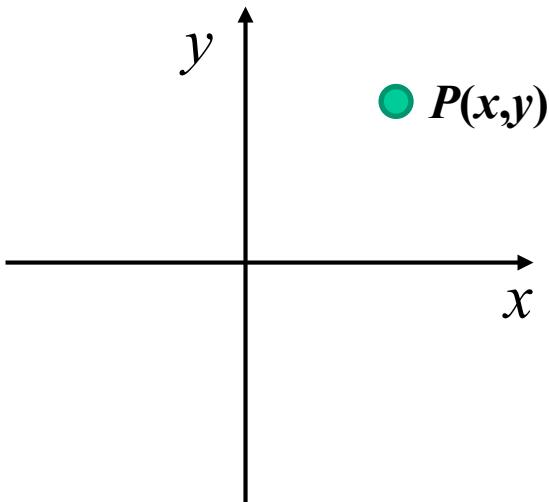


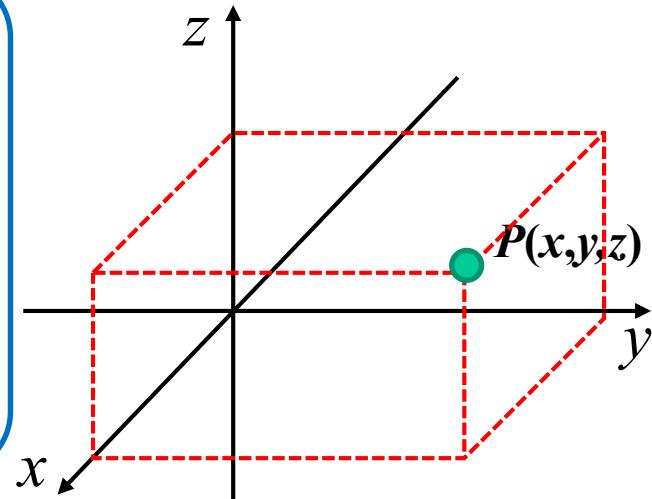
Moving from 2D to 3D

Cartesian plane



the addition of a rectangular prism with diagonal OP can make it easier to visualise the point's location

Cartesian space



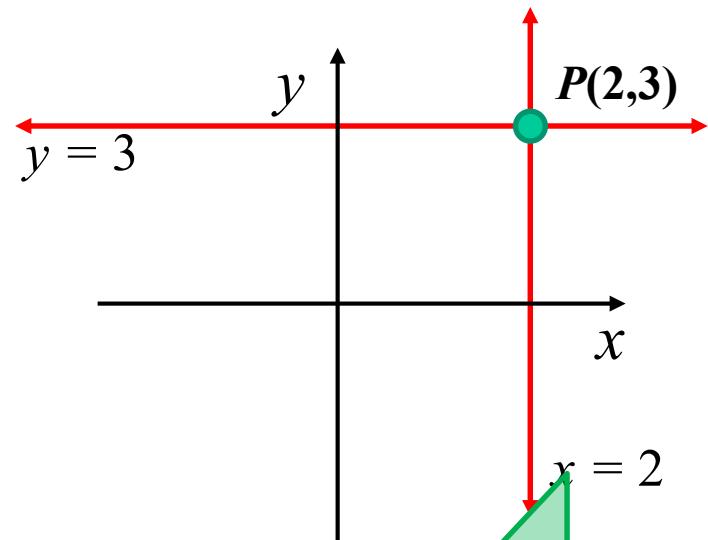
- two axes (x and y)
- one coordinate plane divided into four quadrants
 - I: $x>0, y>0$
 - II: $x<0, y>0$
 - III: $x<0, y<0$
 - IV: $x>0, y<0$
- points uniquely defined by an ordered pair

- three axes (x , y and z)
- three coordinate planes (yz , xz and xy) divided into eight octants
 - I: $x>0, y>0, z>0$ V: $x>0, y>0, z<0$
 - II: $x<0, y>0, z>0$ VI: $x<0, y>0, z<0$
 - III: $x<0, y<0, z>0$ VII: $x<0, y<0, z<0$
 - IV: $x>0, y<0, z>0$ VIII: $x>0, y<0, z<0$
- points uniquely defined by an ordered triple

lines parallel to coordinate axes

lines parallel to the x axis ($y = c$)

lines parallel to the y axis ($x = k$)

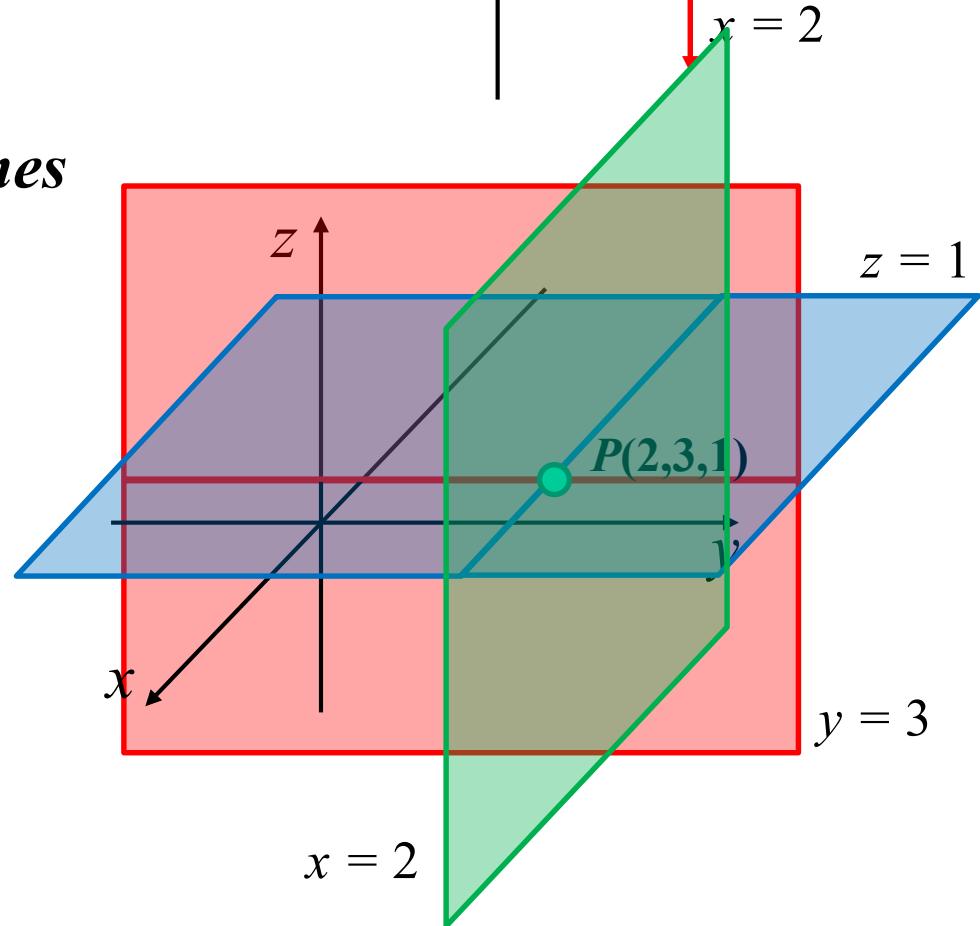


planes parallel to coordinate planes

plane parallel to xy plane ($z = c$)

plane parallel to xz plane ($y = k$)

plane parallel to yz plane ($x = C$)



Distance & Midpoint

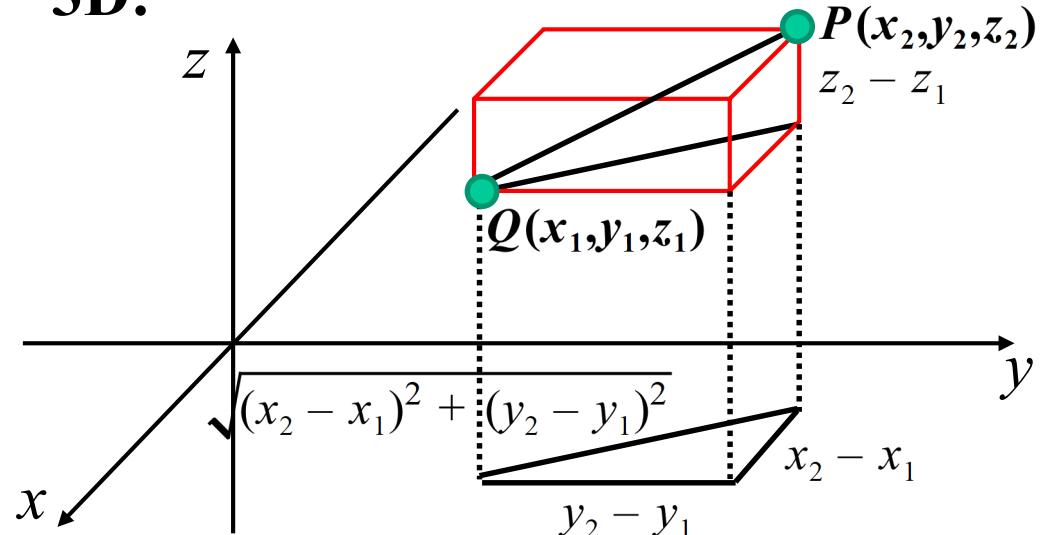
Distance Formula

$$\text{2D: } d = \sqrt{(x_2 - x_1)^2 + (y_2 - y_1)^2}$$

Midpoint Formula

$$\text{2D: } M = \left(\frac{x_1 + x_2}{2}, \frac{y_1 + y_2}{2} \right)$$

3D:



3D:

$$M = \left(\frac{x_1 + x_2}{2}, \frac{y_1 + y_2}{2}, \frac{z_1 + z_2}{2} \right)$$

$$d = \sqrt{\left(\sqrt{(x_2 - x_1)^2 + (y_2 - y_1)^2} \right)^2 + (z_2 - z_1)^2}$$

$$d = \sqrt{(x_2 - x_1)^2 + (y_2 - y_1)^2 + (z_2 - z_1)^2}$$

Exercise 5A;
1, 2, 5, 7, 10,
12, 15, 16